

Opinion Article

Explicit dynamic failure analysis of a reinforced concrete beam

Abstract: Concrete beam is one of the common components in building structure, in the long-term use process, may be affected by various factors and damage, such as chloride ion penetration, carbonization, cracks and so on. Therefore, it is of great significance to study the failure mechanism of concrete beams. This paper analyzes the failure of a reinforced concrete beam by using the method of display dynamics simulation, analyzes its failure process, and provides a theoretical reference for its design in practical construction.

Keywords: Reinforced concrete; mechanical analysis; numerical simulation

1 Introduction

Concrete beam is one of the common components in building structure, which bears the role of building's own weight and external load. In the course of long-term use, concrete beams may be damaged by various factors, such as chloride ion penetration, carbonization, cracks and so on. Therefore, it is of great significance to study the failure mechanism of concrete beam. The research of failure mechanism of concrete beam can provide scientific basis for engineering practice. Through the in-depth understanding of the failure mechanism of concrete beams, more scientific and reasonable design and construction schemes can be formulated to improve the seismic performance and durability of concrete beams. At the same time, for the concrete beam that has problems, it can also determine the repair plan and measures by understanding its failure mechanism^[1].

The research on the failure mechanism of concrete beam has a positive effect on promoting the progress of building material technology. With the development of society and the progress of science and technology, people have higher and higher requirements for the performance and quality of building materials. Through the research on the failure mechanism of concrete beam, the performance and characteristics of concrete materials can be deeply understood, and the scientific basis for the improvement and upgrading of concrete materials can be provided.

In addition, the research on the failure mechanism of concrete beam can also provide reference for earthquake disaster prevention and control. In the event of an earthquake, the seismic ability of a building is an important factor to ensure the safety of people's lives and property. By studying the failure mechanism of concrete beams, we can better understand the deformation and failure process of buildings under earthquake load, and provide support for improving the earthquake resistance of buildings and disaster prevention and reduction.

In the study of the failure mechanism of concrete beams, the commonly used methods include experimental research and numerical simulation. The experimental research can observe the deformation and failure process of concrete beam through loading test, and carry out data collection and analysis. The numerical simulation is to simulate the deformation and failure process of the concrete beam under different loads through the computer program, so as to obtain its failure mechanism.

Among them, the numerical simulation technology plays an important role in the research of the failure mechanism of concrete beam. With the continuous development of computer technology, numerical simulation technology has become an indispensable tool in the mechanical analysis of concrete structures. Through numerical simulation, the internal structure and stress distribution of concrete beams can be analyzed in detail, and the deformation and failure process can be predicted. At the same time, the numerical simulation can also compare the experimental results to verify its accuracy and reliability.

In addition, many factors should be taken into account in the study of failure mechanism of concrete beams. For example, temperature, humidity, oxidation and other environmental factors will have an impact on the performance of concrete beams, and different concrete mix ratio, strength and other parameters will also have an impact on its failure mechanism. Therefore, in the study of the failure mechanism of concrete beams, it is necessary to consider the role of many factors comprehensively, and carry out systematic analysis and evaluation.

In a word, the research of failure mechanism of concrete beam is of great significance. Through in-depth research and combined with engineering practice, it can promote the progress of building material technology, improve the seismic ability and durability of buildings, and provide reference for the prevention and control of earthquake disasters.

2 Introduction to finite element method

2.1 Basic idea of finite element method

Finite Element Method (FEM for short) is a method of solving engineering problems through numerical calculation. It converts complex physical problems into mathematical models and uses computers to solve them. The finite element method has become one of the indispensable tools in modern engineering analysis and design, widely used in the fields of structural mechanics, fluid mechanics, thermodynamics, electromagnetic field and so on.

The basic idea of finite element method is to divide a complex physical problem into many small parts, each part can be regarded as a simple geometric shape, such as line segment, triangle or quadrilateral. These small parts are called "finite elements," and each finite element can be described as a mathematical model and can be solved by a computer program.

In the finite element method, it is first necessary to establish a mathematical model, that is, according to the physical quantities and geometric shapes involved in the actual problem, to establish the corresponding equations. For example, in structural mechanics, common equations include elastic mechanics equations, material constitutive relations, etc.; In fluid mechanics, they include continuity equation, momentum equation and energy equation. These equations are then assembled into a whole equation and discretized using numerical methods.

Next, in the discretized model, each finite element needs to be solved. Usually, the method of numerical integration is used to calculate the physical quantity inside each finite element and transfer the data between adjacent finite elements through the boundary conditions. In the process of solving, it is necessary to control the numerical error to ensure the accuracy and stability of the calculation results.

The advantage of finite element method is not only its efficiency and accuracy, but also that it can simulate various complex physical phenomena. For example, in structural mechanics, it can be used to analyze the stress and deformation of Bridges, buildings, aircraft, automobiles and other engineering structures; In fluid mechanics, it can be used to study the motion laws of water flow, air flow, oil flow and other fluids; In thermodynamics, it can be used to calculate the temperature field, heat transfer and other problems^[2].

In addition, the finite element method has flexibility. Since it is a general method, it can be adjusted and improved according to different physical problems. For example,

when dealing with nonlinear problems, a nonlinear material model or a nonlinear boundary condition can be adopted; When dealing with large deformation problems, large deformation theory or incremental form can be adopted; When dealing with multi-physical field coupling problems, it is necessary to solve the equations of different physical fields by coupling. Of course, the finite element method also has some shortcomings. First, it requires discretization of the model, so numerical errors can occur. Second, it consumes a lot of computational resources and time when dealing with complex problems. Finally, it is necessary to simplify and assume the actual situation when building the mathematical model, so the accuracy of the calculation results may be affected.

2.2 Introduction to Ansys Explicit dynamics module

Explicit dynamics is a finite element analysis method used to simulate the dynamic response of objects in transient events such as high-speed collisions or explosions. It could help engineers and scientists better understand and predict how objects behave under extreme conditions.

This method is based on Newton's second law, which states that force equals mass times acceleration. In explicit dynamics, objects are divided into many small units, each of which has a mass, shape, and material properties^[3]. Through the numerical calculation of these elements, information such as the position, speed and acceleration of the object at different time points can be obtained.

Different from other finite element analysis methods, explicit dynamics uses an explicit time integration scheme. This means that each time step can be calculated directly without the need to solve nonlinear equations. This makes explicit dynamics ideal for handling transient events such as high-speed shocks, as it can quickly and accurately simulate the dynamic response of an object.

However, due to the explicit time integration scheme, the computational stability of explicit dynamics is limited. When the time step is too large, the simulation results may lose accuracy and even produce numerical oscillation. Therefore, when simulating with explicit dynamics, it is necessary to carefully select the time step and perform the necessary numerical stability analysis.

In addition to its use in high-speed collision and explosion simulations, explicit dynamics can also be applied to other fields, such as material processing, seismic engineering, and biomechanics. In material processing, for example, explicit dynamics can help predict the behavior of materials under conditions such as shear, tension, and compression. In earthquake engineering, explicit dynamics can be used to simulate the response of buildings and structures during an earthquake. explicit dynamics is a powerful finite element analysis method that helps scientists and engineers better understand and predict how objects behave under extreme conditions. Although its computational stability is limited, it is still a very useful tool after the correct selection of time steps and the necessary numerical stability analysis.

2.3 ANSYS explicit dynamic analysis steps

1. Prepare the model: Create the geometric model and mesh. If needed, add material properties, boundary conditions, and loads.
2. Define material properties: In ANSYS, you can define a variety of material properties, including elastic modulus, Poisson ratio, density, and more.
3. Define boundary conditions: Define all necessary constraints and boundary conditions in the model, such as fixed support, loading position, etc.
4. Define loads: Define all loads applied to the model, such as pressure, gravity, etc.
5. Check the model: Check that all parameters of the model are set correctly. Make sure there are no errors or warning messages.
6. Perform explicit dynamics analysis: set the solver type to "Explicit Dynamics" and run the analysis. The solver will use an explicit time integration method to calculate the response for each time step.

7. Analysis results: View and analyze the results to determine whether the design requirements are met. If needed, you can adjust the model and rerun the analysis.

8. Optimization design: carry out the necessary design optimization according to the results, and repeat the above steps until the final design goal is reached.

Most nonlinear dynamics problems are usually solved by the explicit method, especially when solving the transient highly nonlinear problems of large structures, which shows that the solution method has obvious advantages. The following is a brief comparison between implicit and explicit methods of solving dynamic problems involving numerical integration methods in the time domain. Before the mid-1980s, people basically used the Newman method to integrate the time domain. According to the Newman method, displacement, velocity^[4], and acceleration have the following relationship:

$$u(i+1)=u(i)+At*v(i)[(1-2p)a(i)+2p*a(i+1)] \quad (1)$$

$$v(i+1)=V(i)+At[(1-2q)a(i)+2qa(i+1)] \quad (2)$$

In the above formula, $u(i+1)$ and $u(0)$ are the displacement of the current moment and the previous moment respectively, $v(i+1)$ and $v(i)$ are the velocity of the current moment and the previous moment, $a(i+1)$ and $a(i)$ are the acceleration of the current moment and the previous moment, p is two undetermined parameters, t is the time difference between the current moment and the previous moment, and the symbol $*$ is the multiplication sign. According to equations (1) and (2), the displacement, velocity and acceleration at any time in the Newman method are interrelated, which makes the solution of the motion equation become a series of interrelated nonlinear equations, and this solution process must be achieved by iterating and solving the simultaneous equations. This is often referred to as an implicit solution. There are two problems with implicit solutions. The iterative process does not necessarily converge, and the simultaneous equations may appear ill-conditioned and have no definite solution. The biggest advantage of implicit solution is that it has unconditional stability, that is, the time step can be arbitrarily large.

If the central difference method is used for time domain integration of dynamic problems, there are the following displacement, velocity and acceleration relations:

$$u(i+1)=2u(i)-u(i-1)+a(i)(At)^2 \quad (3)$$

$$v(i+1)=[u(i+1)-u(i-1)]/2(At) \quad (4)$$

Where $u(i-1)$ is the displacement at time -1 . It can be seen from equation (3) that the displacement at the current time is only related to the acceleration and displacement at the previous time, which means that the displacement at the current time does not need to be solved by iterative process. In addition, as long as the mass matrix and damping matrix in the process of motion are diagonalized, the acceleration of the previous moment does not need to solve the simultaneous equations, so that the problem is greatly simplified, which is the so-called explicit solution method. The advantage of the explicit solution method is that it has no convergence problem and does not need to solve simultaneous equations. Its disadvantage is that the time step is limited by the numerical integral stability and cannot exceed the critical time step of the system^[5].

3. Finite element modeling and damage analysis of reinforced concrete beams

3.1 Finite element Modeling

Before the finite element simulation, the reinforced concrete beam is first modeled. As shown in Figure 1, the steel bar inside the reinforced concrete is composed of 20 stirrups and 4 longitudinal bars. The size of the stirrups is 200mmx400mm, the thickness of the protective layer is 20mm, the radius of the stirrups is 4mm, and the radius of the longitudinal bars is 8mm. Form all the rebar into a new part, concrete and 2 supporting and impacting objects into four separate solid pieces.

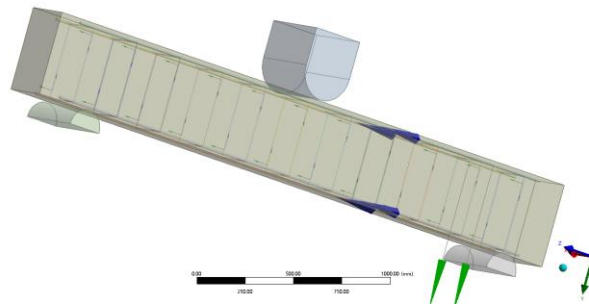


FIG. 1 Reinforced concrete beam model

3.2 Material property Settings

Then, the concrete material is set in the material warehouse. The material warehouse is shown in Figure 2, the material is selected as 35Mpa concrete, and the specific properties of the material are shown in Figure 3.

	A	B	C	D
	Data Source	Location		Description
1	Concrete Materials			Material samples for use in concrete analyses.
5	Additive Manufacturing Materials			Additive manufacturing material samples for use in additive manufacturing analyses.
6	Geomechanical Materials			General use material samples for use with geomechanical models.
7	Composite Materials			Material samples specific for composite structures.
8	General Non-linear Materials			General use material samples for use in non-linear analyses.
9	Explicit Materials			Material samples for use in an explicit analysis.
10	Hyperelastic Materials			Material stress-strain data samples for curve fitting.
11	Magnetic B-H Curves			B-H Curve samples specific for use in a magnetic analysis.

Figure 2 Material library

	A	B	C	D	E
	Property	Value	Unit		
2	Material Field Variables	Table			
3	Density	2314	kg m ⁻³		
4	Specific Heat Constant Pressure, C _p	654	J kg ⁻¹ C ⁻¹		
5	RHT Concrete Strength				
26	Bulk Modulus	3.527E+10	Pa		
27	Shear Modulus	1.67E+10	Pa		
28	Polynomial EOS				
36	P-alpha EOS				

FIG. 3 Material properties of 35Mpa concrete

3.3 Model Settings

The following is the preliminary setting of the failure simulation of reinforced concrete beams in the Model module. The interface of Model module is shown in Figure 4.

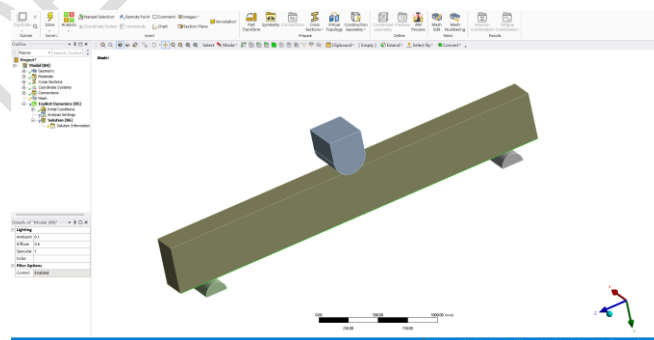


Figure 4 Model interface

The contact of the beam was set and defined in the contacts option. The contact between the upper surface of the beam and the surface of the impact object was defined as Frictionless, that is, without friction. The contact between the lower surface of the beam and the left and right supports is defined as Frictional, that is, friction, and the friction coefficient is set to 0.2^[6].

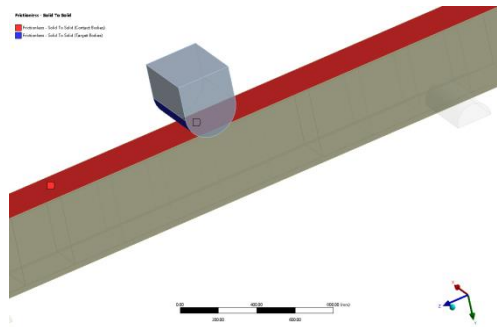


Figure 5 Schematic diagram of contact 1

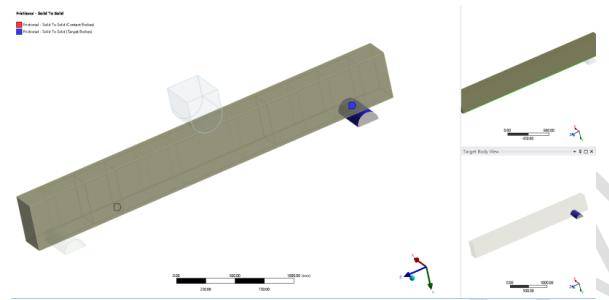


Figure 6 Schematic diagram of contact 2

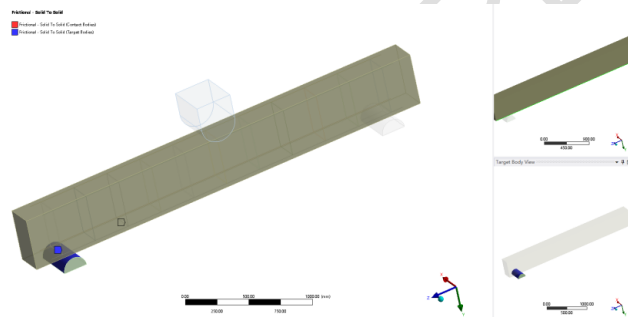


Figure 7 Schematic diagram of contact 3

3.4 Grid Division Settings

mesh is used to divide the model into regional meshes, and the meshes are divided into unstructured meshes. The advantages of unstructured meshes are as follows: the generation method of unstructured meshes can generate high-quality meshes by adopting certain criteria for optimization judgment in the generation process; Easy to control mesh size and node density; Using random data structure is beneficial to grid self-adaptation. Once the distribution of the grid is specified at the boundary, the grid can be automatically generated between the boundaries without partitioning or user intervention, and without the need to pass information between subdomains. The grid division of the model is shown in Figure 8. The grid nodes of different solids have been shared to ensure the clarity and accuracy of the calculation logic. The size of the reinforced concrete beam is the largest, so the grid control size is set to a maximum of 30mm to ensure the accuracy of the calculation.

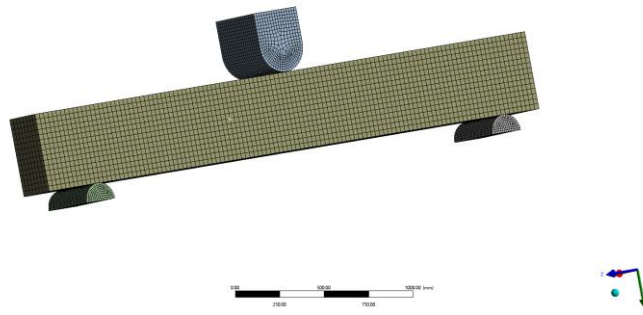


Figure 8 Model grid division diagram

3.5 Explicit dynamics Settings

In order to test the damage of reinforced concrete beams, it is necessary to exert impact on the impact object. In the analysis, the time of impact application is set at 0.01s, and the acceleration of 30m/s in the y direction is applied. The impact setting diagram is shown in FIG. 9 and 10. Fixed constraints are applied to the two bottoms of the reinforced concrete beam. Figure 11.

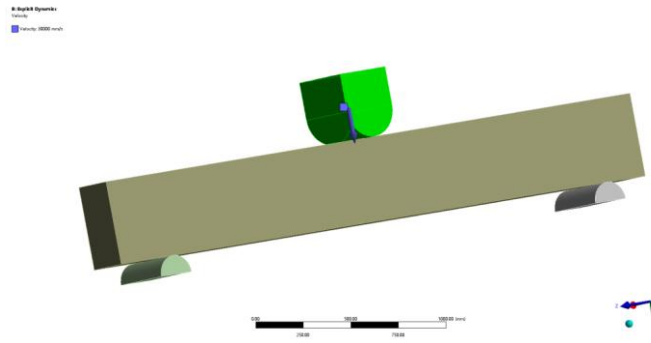


Figure 9. Impact location diagram

Scope	
Scoping Method	Geometry Sele...
Geometry	1 Body
Definition	
Input Type	Velocity
Pre-Stress Environment	None Available
Define By	Components
Coordinate System	Global Coordi...
<input type="checkbox"/> X Component	0. mm/s
<input checked="" type="checkbox"/> Y Component	30000 mm/s
<input type="checkbox"/> Z Component	0. mm/s
Suppressed	No

Figure 10 Shock application Settings

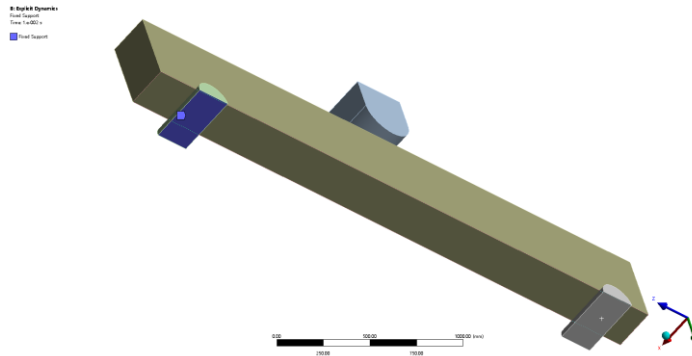


Figure 11 Constraint diagram of fixed end

3.6 Analysis of simulation results

After the impact is applied, the simulation calculation is carried out, and the total deformation cloud diagram of the reinforced concrete beam is shown in FIG. 12. The maximum deformation of the beam is 164.12mm, and the maximum deformation occurs at the impact place and the center of the beam, and the minimum deformation occurs near the two lower supports. The equivalent stress cloud diagram of the reinforced concrete beam is shown in FIG. 13. It can be seen that there is a large stress at the lower support position, and the stress is about 16Mpa^[8]. Due to the presence of steel bars inside the concrete beam, the maximum stress on both sides of the upper center is about 25Mpa. The equivalent elastic strain cloud diagram of the reinforced concrete beam is shown in Figure 15. It can be seen that the stress and strain do not show a corresponding relationship, and the strain basically appears in the corresponding part of the impact, and the maximum strain appears in the contact part of the impact object and the beam, and the maximum equivalent elastic strain is 0.01195mm/mm.

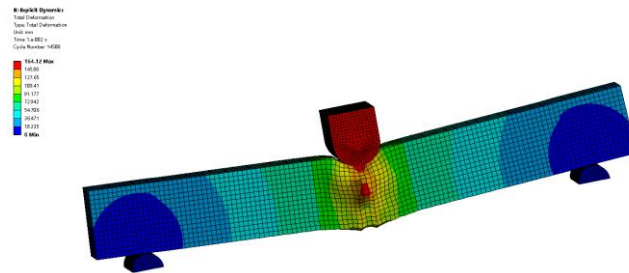


Figure 12 Total deformation cloud image

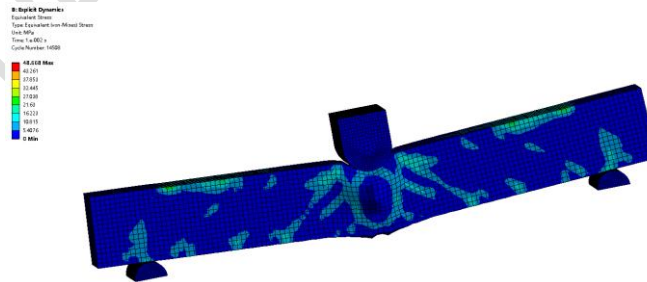


FIG. 13 Equivalent stress cloud image

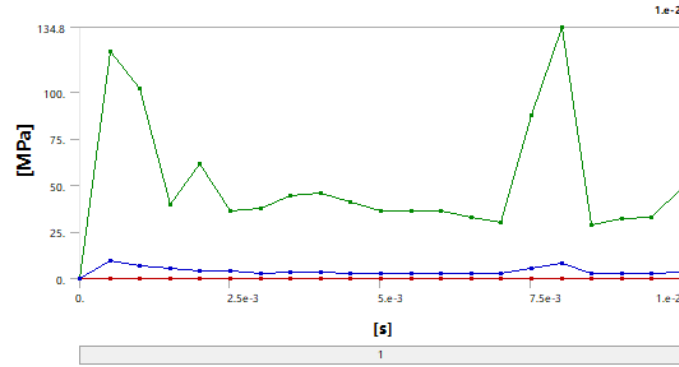


FIG. 14 Stress variation diagram

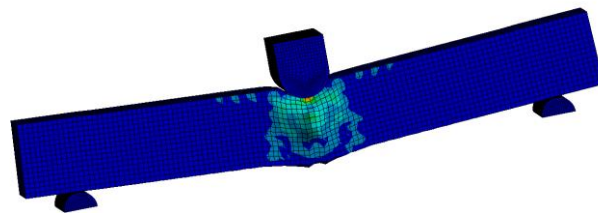


FIG. 15 Equivalent elastic strain cloud image

The total damage cloud map is shown in Figure 16. In the cloud image, the red position represents complete failure, while the blue position represents no failure. It can be seen that the central position of the beam is basically completely damaged. Due to the force action of the rebar, the four longitudinal tendons have suffered great damage, and the stirrup at the lower support position also has some damage. Hide the body of the beam. The total deformation cloud diagram of the steel bar can be obtained as shown in Figure 17. It can be seen that the upper longitudinal bar of the beam is larger than the lower two longitudinal bars. The closer it is to the impact object, the greater the shape variable of the steel bar.

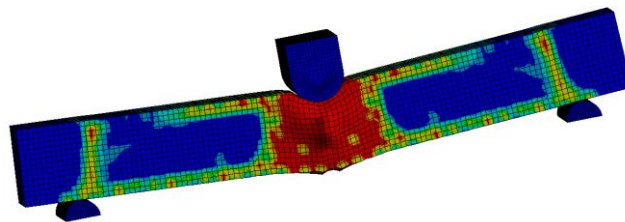
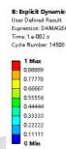


Figure 16 Total destruction cloud image

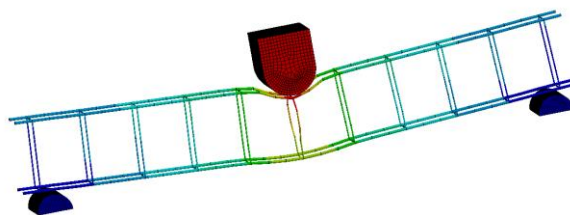


FIG. 17 Cloud image of total deformation of steel bars

4 Conclusion

1. When the beam is subjected to load, it has a large displacement and deformation. The maximum displacement is 164.12mm.

2. The stress distribution is uneven, and the maximum equivalent stress is about 25Mpa, which exceeds the design limit value. This shows that there is a strong local failure phenomenon when the beam bears the load.

3. Due to the toughness of reinforced concrete materials, there is a certain degree of plastic deformation before the beam is damaged. This shows that the selected material has a certain toughness and ductility.

4. According to the failure cloud map, it can be seen that after the load reaches a certain degree, the beam appears obvious cracks and failures, and the scope of failure gradually expands with the increase of the load.

In summary, the reinforced concrete beam has a large deformation and local failure phenomenon when subjected to load, and there is a certain degree of plastic deformation before the failure. Therefore, in the design and construction, it is necessary to rationally select and control the material, structure and load to ensure the safety and reliability of the structure.

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